
Outline

- ❖ **Motivation**
- ❖ Overview
- ❖ Model & Inference
- ❖ Experiments
- ❖ Conclusion
- ❖ Tasks and Schedule

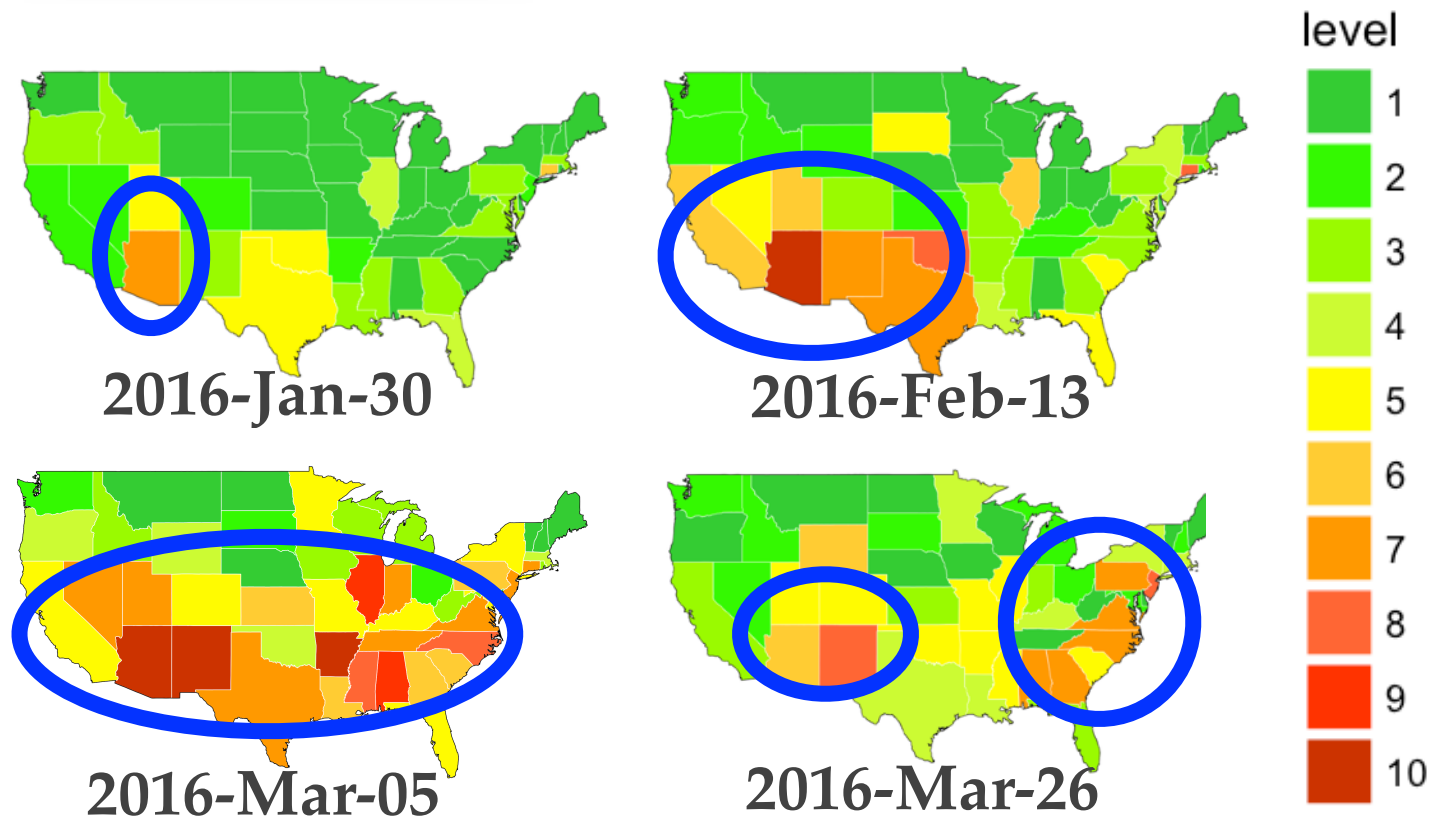
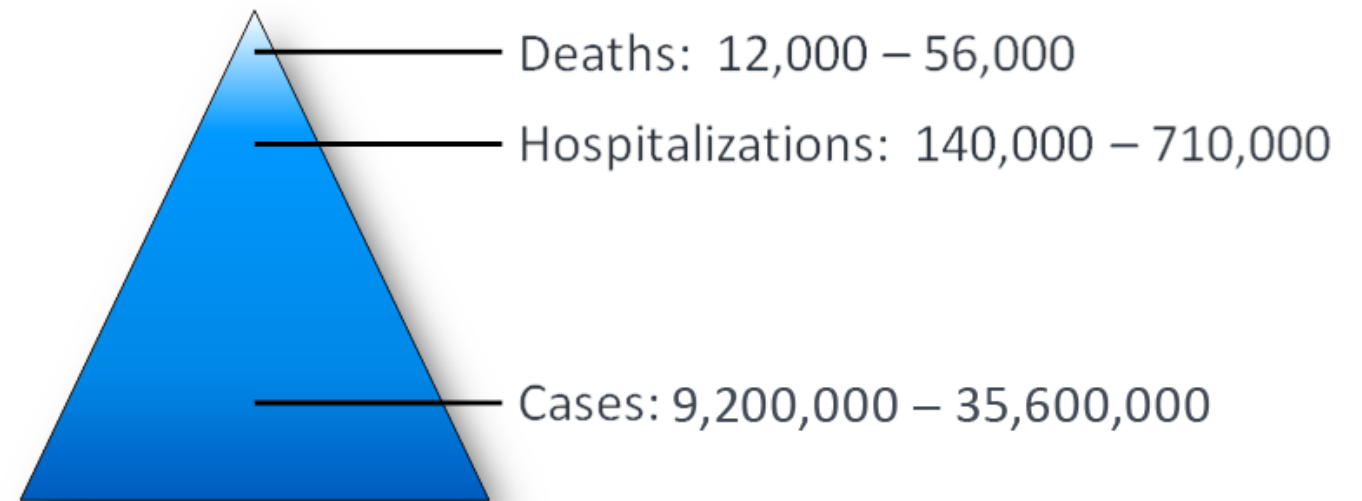
Motivation

- ❖ **Flu is deadly**

- ❖ Population Loss
- ❖ Economic Loss

- ❖ **Flu is predictable**

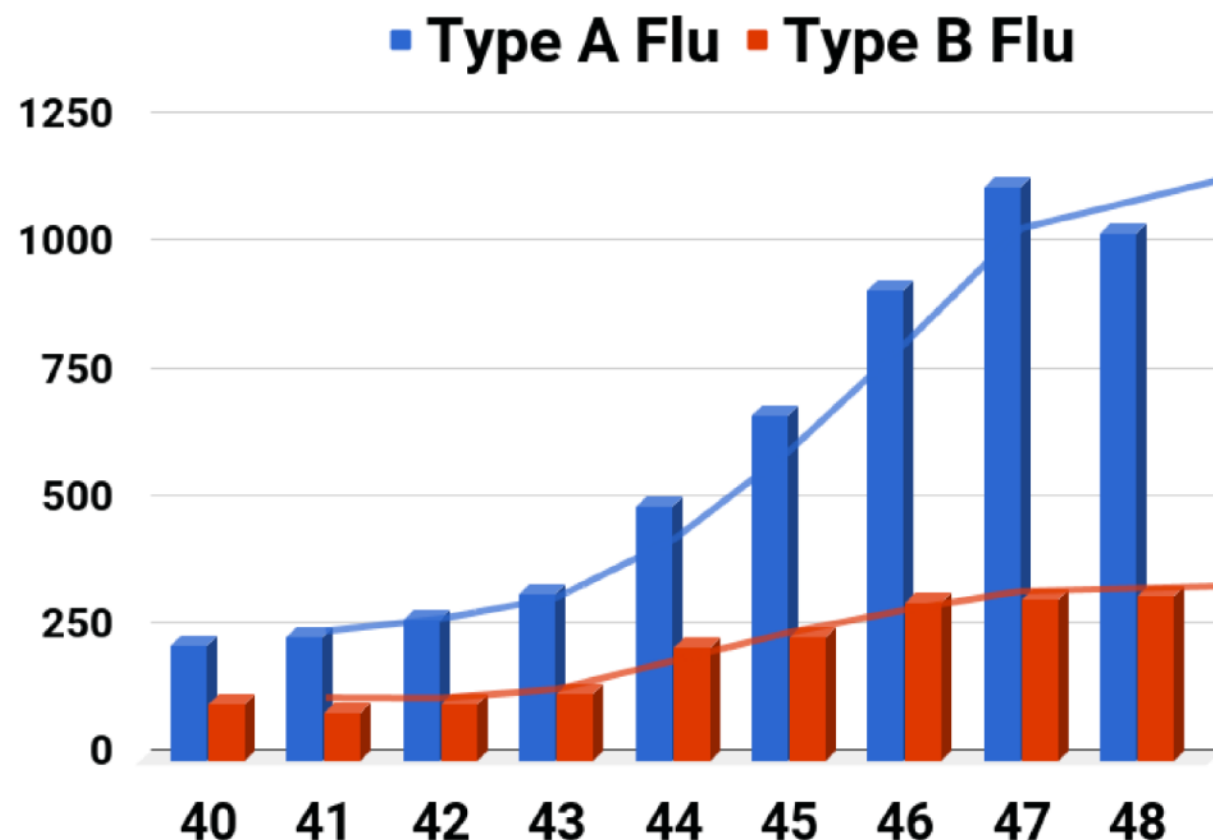
- ❖ Spatial pattern
- ❖ Temporal pattern



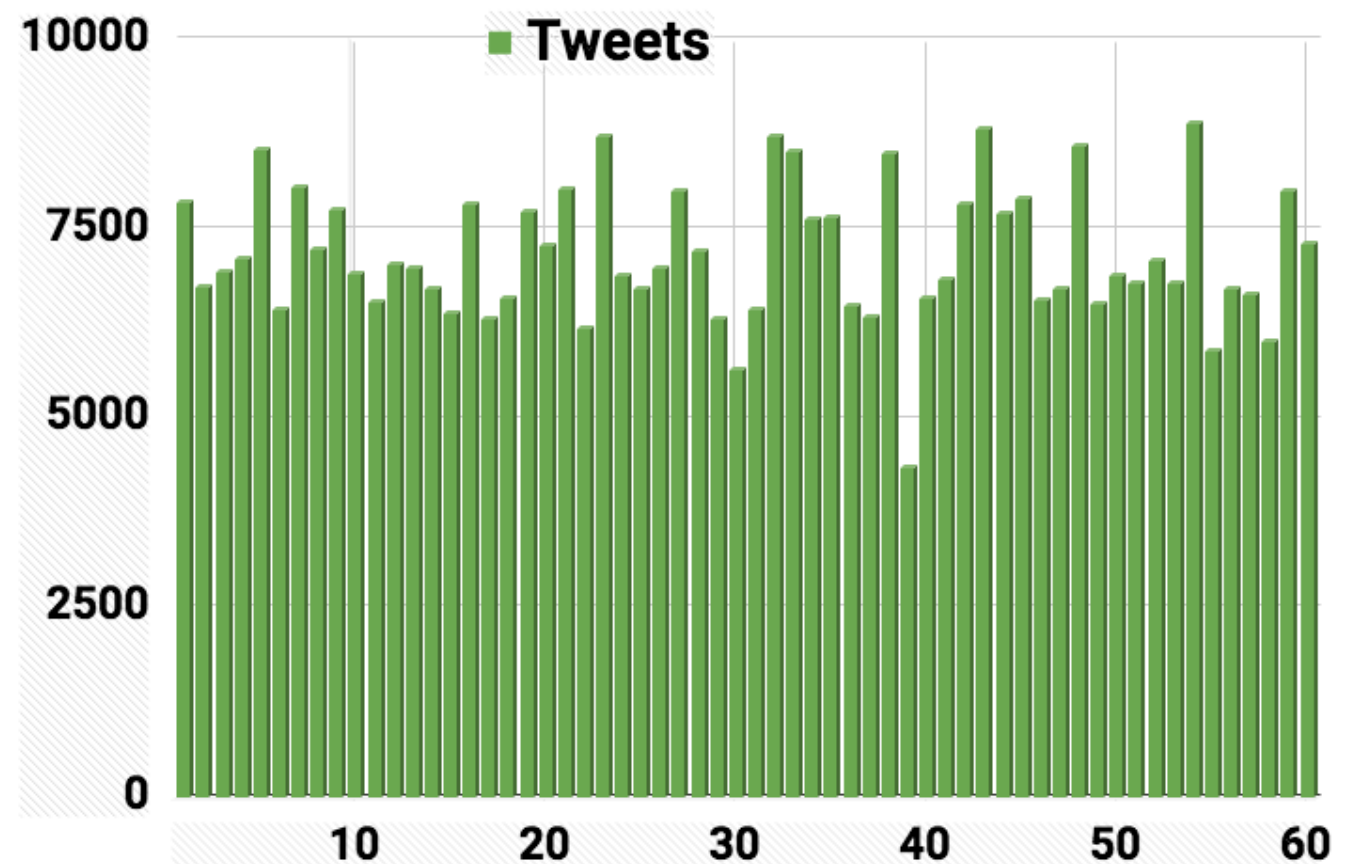
Outline

- ❖ Motivation
- ❖ **Overview**
- ❖ Model & Inference
- ❖ Experiments
- ❖ Conclusion
- ❖ Tasks and Schedule

Challenge 1: Accuracy in Short Time Prediction

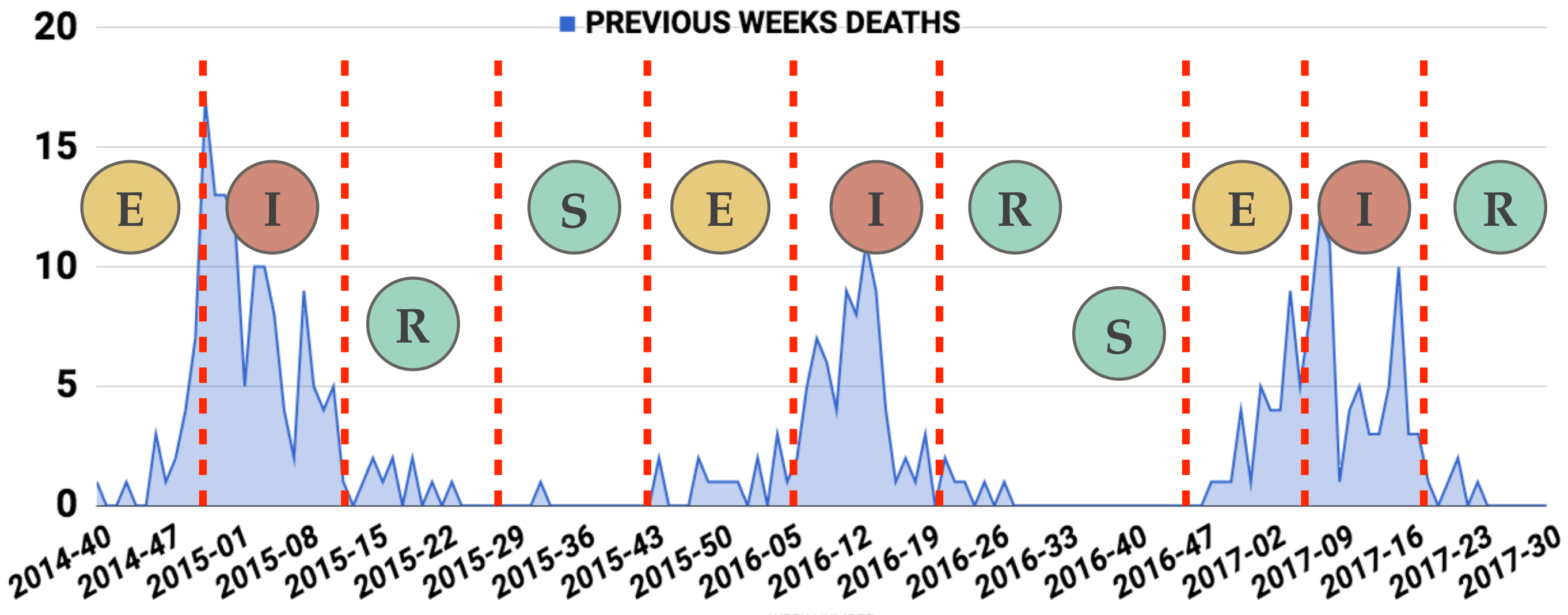


- ❖ CDC data updated:
 - ❖ State-level
 - ❖ Weekly



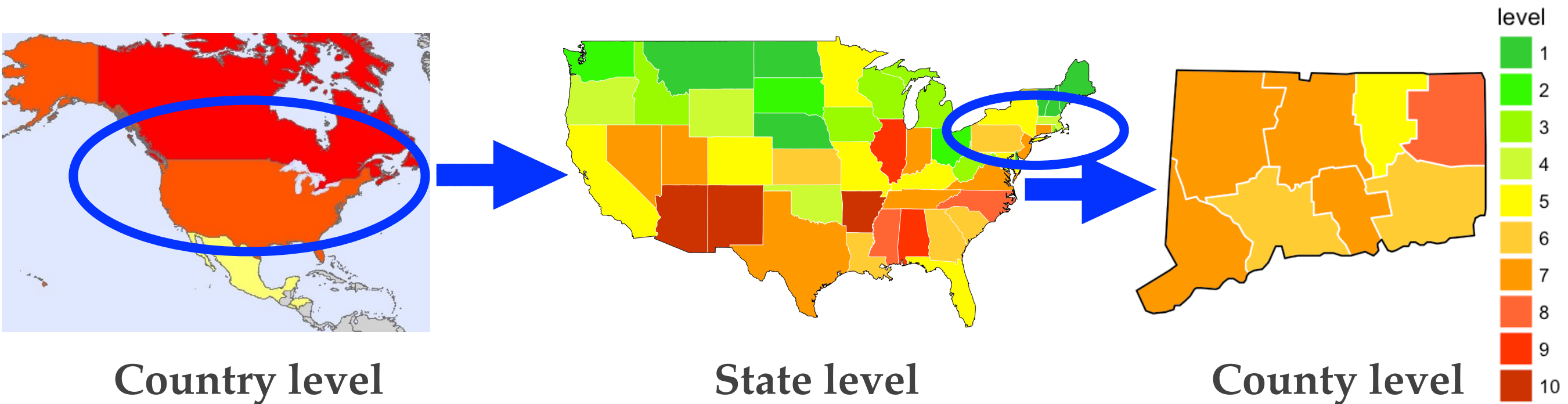
- ❖ Twitter data:
 - ❖ Huge: 6,500 per second
 - ❖ Sparse: content related to flu

Challenge 2: Stability in Long Time Prediction



- ❖ Flu cost price of lives
- ❖ Flu appears periodically
- ❖ Predict beforehand that can reflect trending

Challenge 3: Flexible Geographical Levels



❖ Flu has obvious geography feature

❖ Central

❖ Distance

❖ Predict in different geographical level

❖ Coarse-level

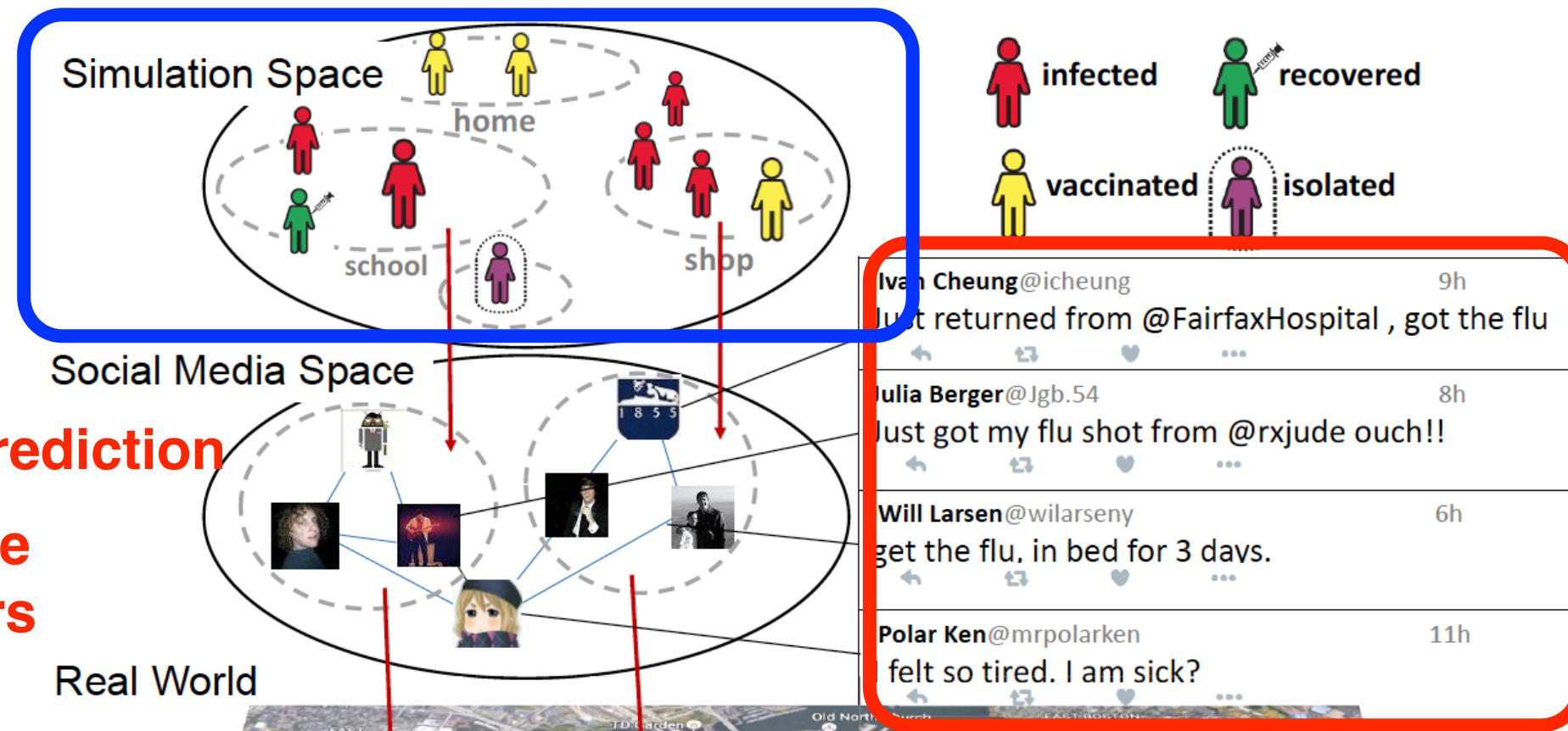
❖ Find-level

Idea Overview

- ❖ Combine Computational models and data-driven methods

Challenge2—Long time prediction

1. Build contact network
2. Model flu via SEIR model



Challenge1—Short time prediction

1. Obtain data in real time
2. Change into parameters for simulation system

1. Geocoding
2. Aggregate to different levels

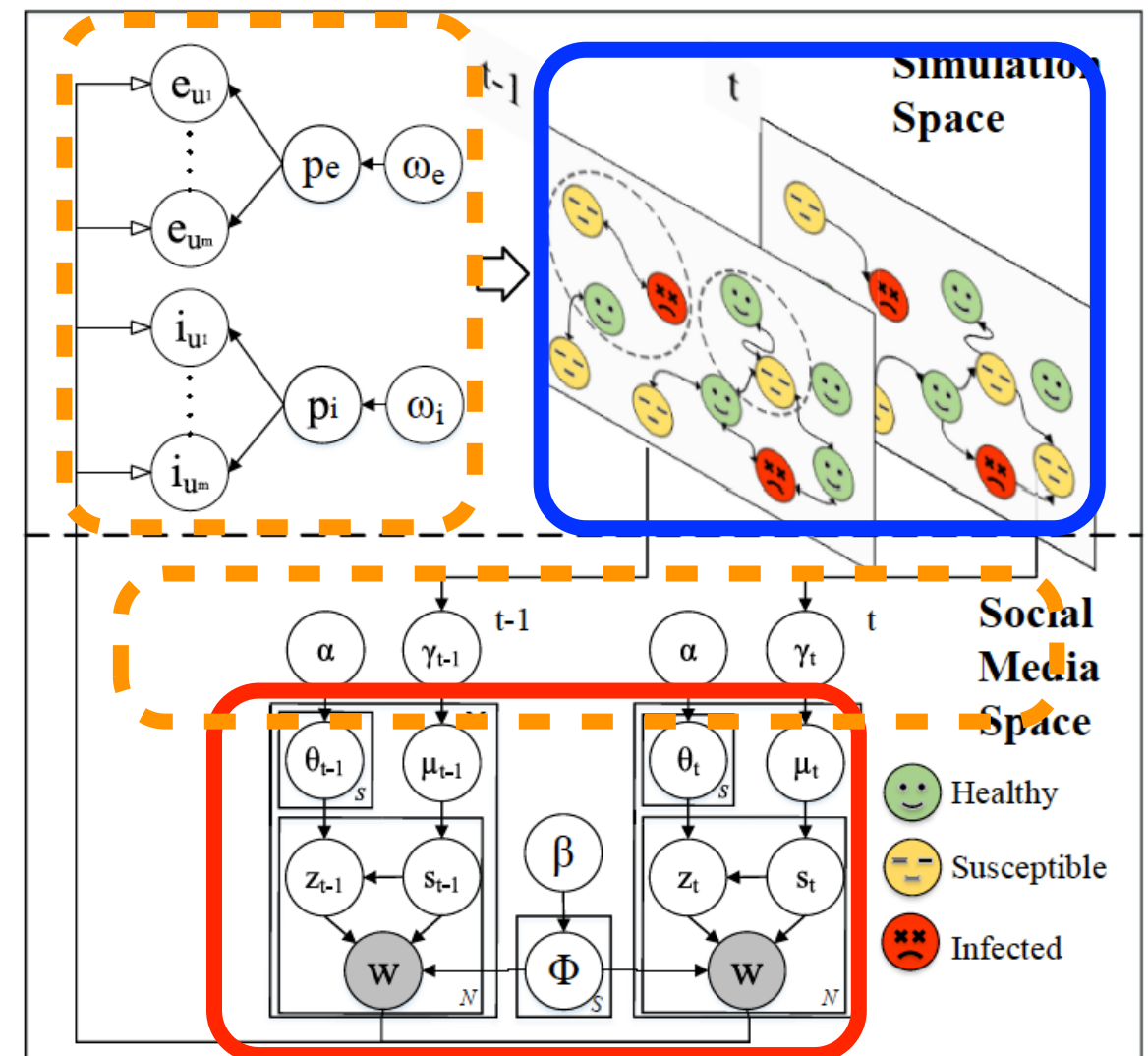
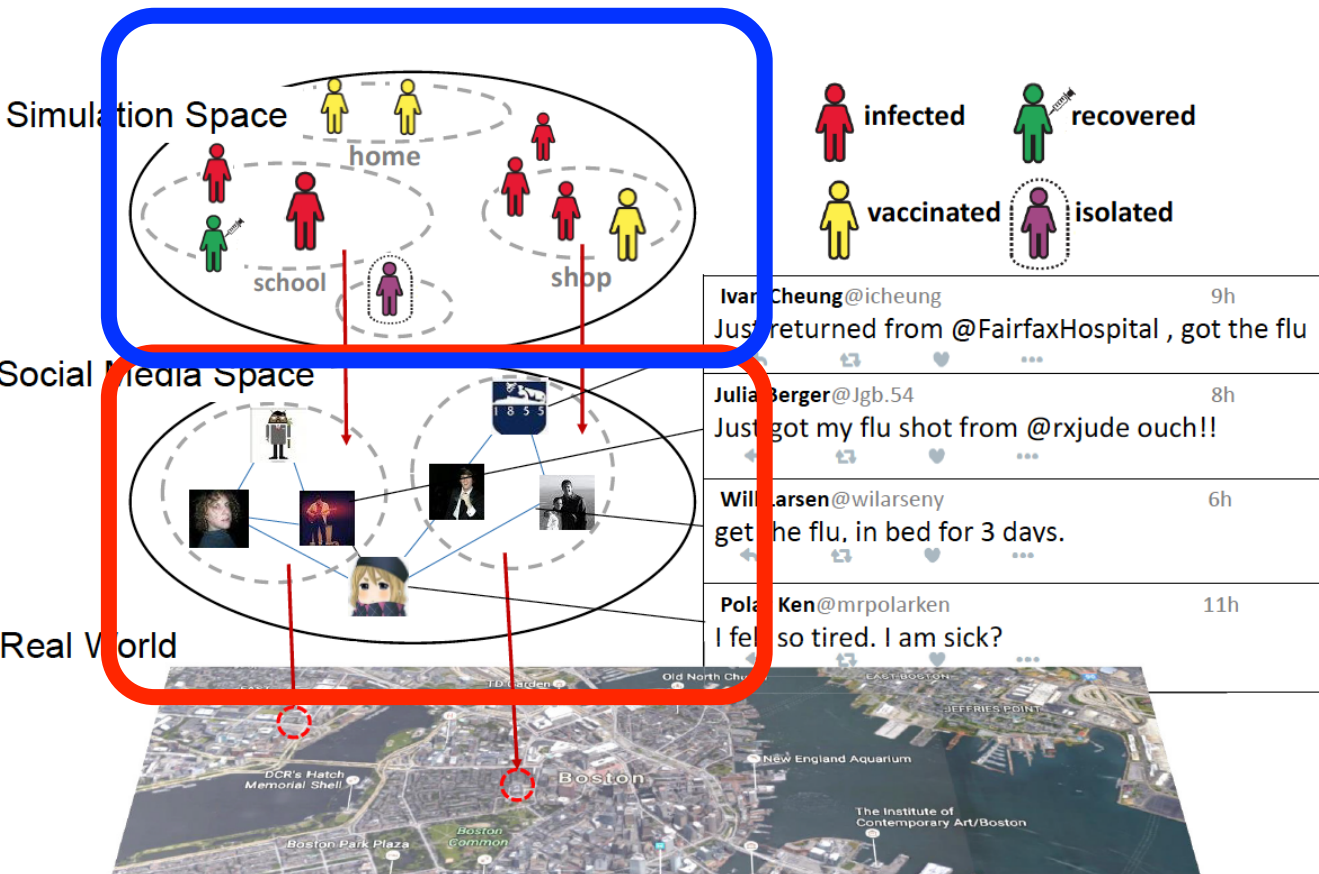
Challenge3—Geographical Scalability

Outline

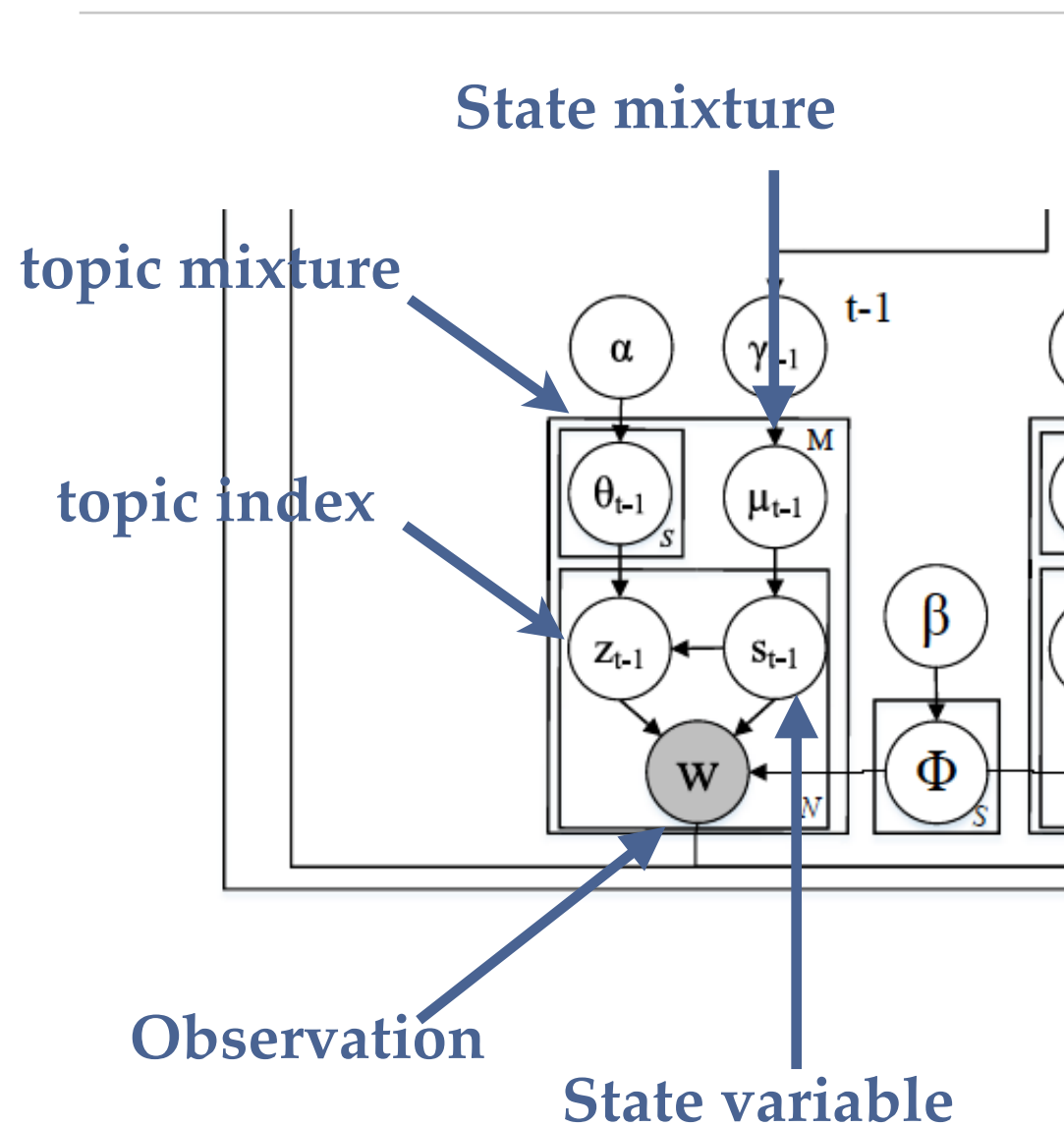
- ❖ Motivation
- ❖ Overview
- ❖ **Model & Inference**
- ❖ Experiments
- ❖ Conclusion
- ❖ Tasks and Schedule

Model

❖ Combine Computational models and data-driven methods



Model: Social Media Part



S E I R

```

for each label  $s = 1, 2, \dots, S$  do
  for each topic  $z = 1, 2, \dots, K$  do
    Draw  $\phi_{s,z} \sim \text{Dir}(\beta)$ ;
  end
end
end

for each time stamp  $t = 1, 2, \dots, T$  do
  for each document  $D_{u,t} = 1, 2, \dots, U$  do
    Draw  $\mu_{u,t} \sim \text{Dir}(\gamma)$ ;
    for each label  $s = 1, 2, \dots, S$  do
      Draw  $\theta_{u,t,s} \sim \text{Dir}(\alpha)$ ;
    end
    for each word  $w$  in document  $D_{u,t}$  do
      Draw  $s \sim \text{Multi}(\mu_{u,t})$ ;
      Draw  $z \sim \text{Multi}(\theta_{u,t,s})$ ;
      Draw  $w \sim \text{Multi}(\phi_{s,z})$ ;
    end
  end
end
end
    
```

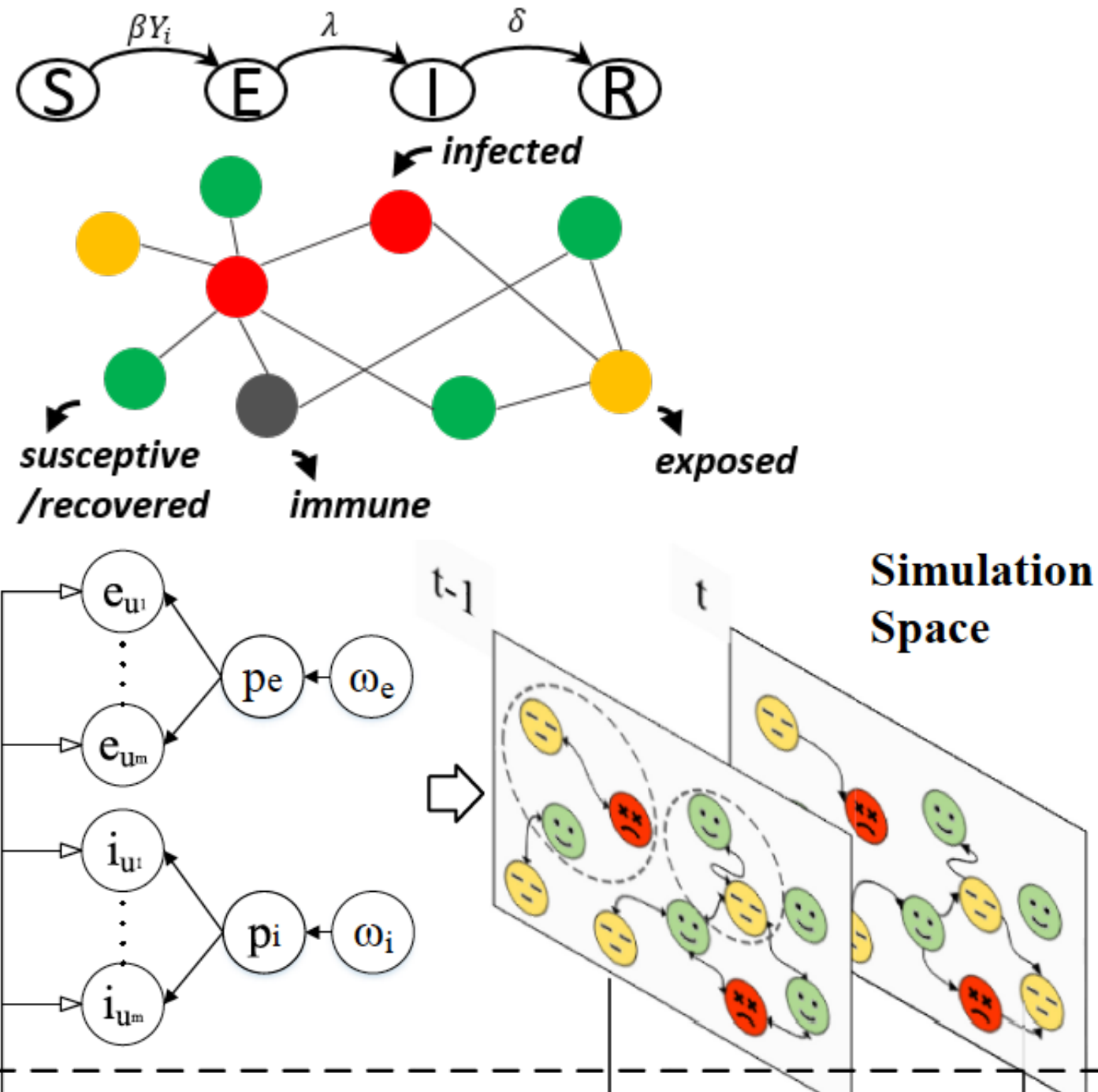
Global

Time stamps

doc-level

word-level

Model: Simulation Part



1. Demographical features

- Each person has information such as age, gender, income ...

2. Disease features

- Infected rate
- Recovered rate

3. Contact network

- Detailed schedule for each person, such as daily activity

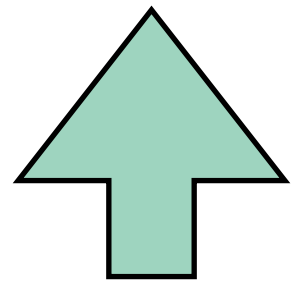
4. SEIR model

- Each person is one of the 4 state in any time: susceptible, exposed, infectious, and removed.

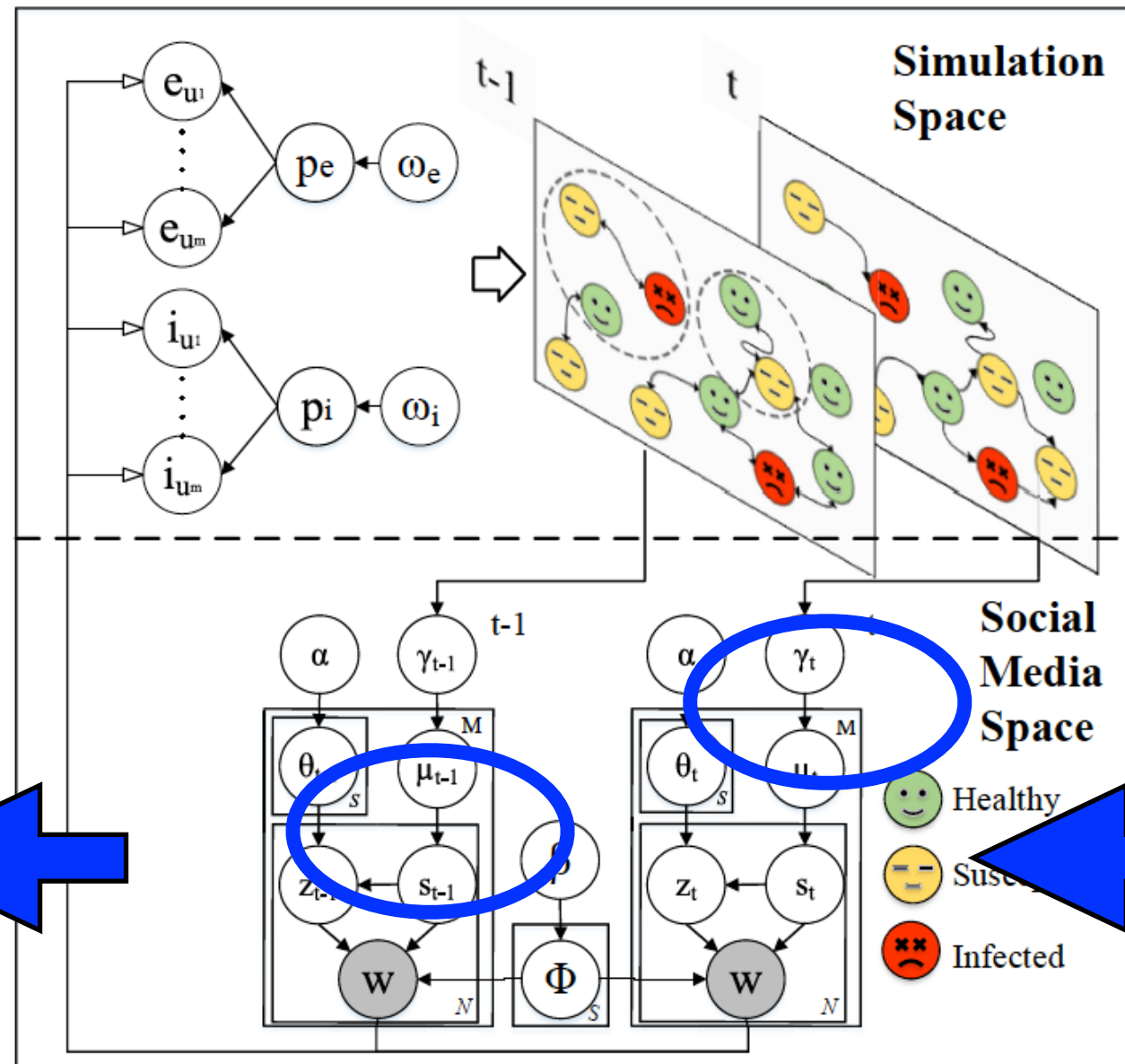
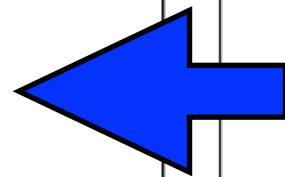
Model: Connection between Two Spaces

Parameters of simulation system

1. Incubation period
2. Infectious period
3. Transmissibility

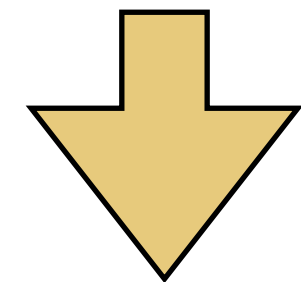


Multinomial Posteriors

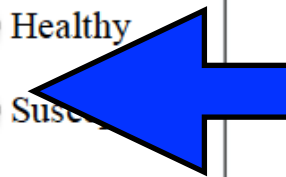


Simulation system Output

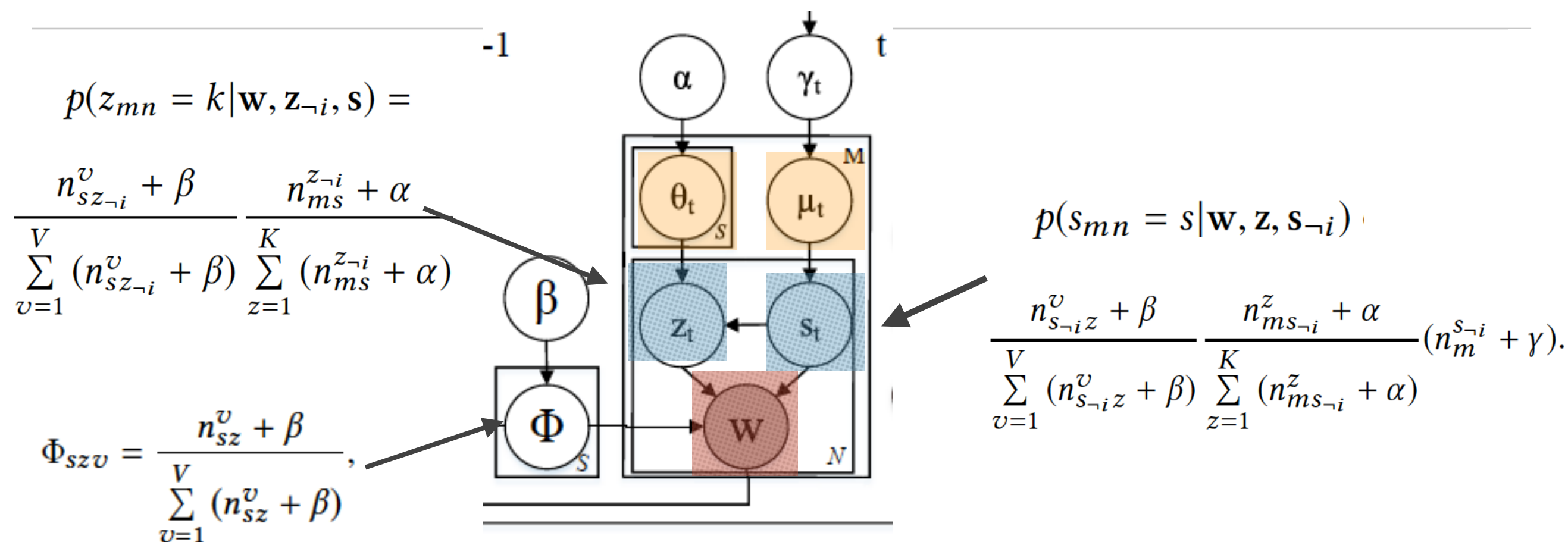
1. Person ID
2. Infectious duration
3. Incubation duration



Dirichlet Priors at next times tamp



Inference: Joint Distribution



$$P(\mathbf{w}, \mathbf{z}, \mathbf{s} | \alpha, \gamma, \beta)$$

Observation = $\prod_{m=1}^M \prod_{n=1}^N p(\underline{w}_{mn} | s_{mn}, z_{mn})$

Multinational variable = $\prod_{m=1}^M \prod_{n=1}^N p(\underline{z}_{mn} | \underline{\theta}_m^{s_{mn}}) \prod_{m=1}^M \prod_{n=1}^N p(\underline{s}_{mn} | \underline{\mu}_m)$

Multinational priors = $\prod_{m=1}^M p(\underline{\mu}_m | \gamma) \prod_{s=1}^S \prod_{m=1}^M p(\underline{\theta}_m^{s_{mn}} | \alpha) p(\gamma | \varphi, \underline{\sigma}).$

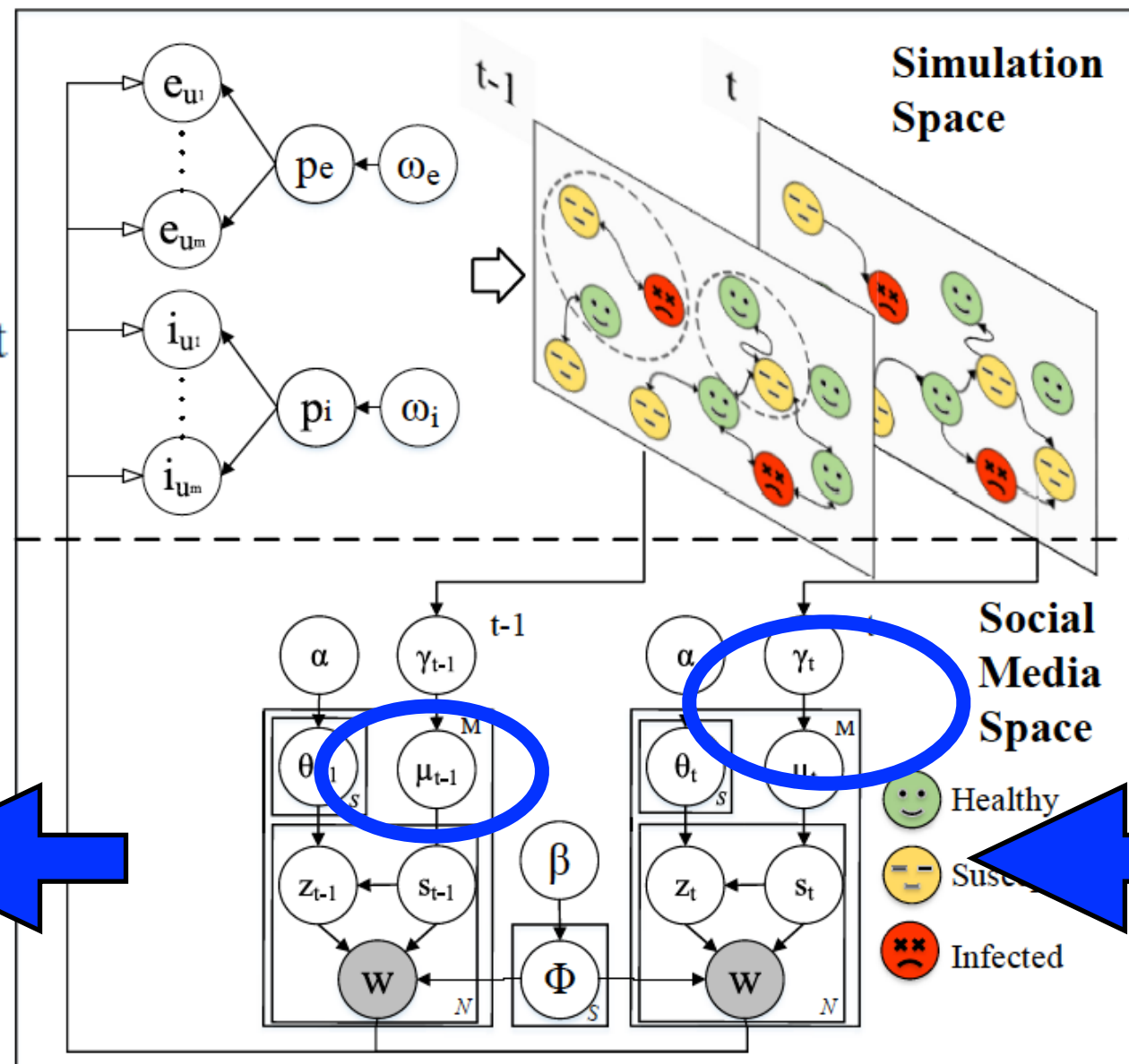
Model: Connection between Two Spaces

Parameters of simulation system

$S_{u,t} = (h_{u,t}, e_{u,t}, i_{u,t})$
the s -th ($s = 0, 1, 2$) element is 1, if and only if $\text{argmax}(\mu_{u,t})$ equals to s .

Multinomial Posteriors

$$\mu_{ms} = \frac{n_m^s + \gamma}{\sum_{s=1}^S (n_m^s + \gamma)}.$$



Simulation system Output

$$\rho_{t,e} = \sum_{v=1}^V E_{v,t}(\mathcal{G}, p_E, p_I, \tau) / \mathcal{V},$$

$$\rho_{t,i} = \sum_{v=1}^V I_{v,t}(\mathcal{G}, p_E, p_I, \tau) / \mathcal{V},$$

Dirichlet Priors at next times tamp

$$p(\gamma | \varphi, \sigma) = \prod_s \frac{\sigma^{\sigma \varphi_s} \gamma_s^{\sigma \varphi_s - 1} \exp(-\sigma \gamma_s)}{\Gamma(\sigma \varphi_s)},$$

Outline

- ❖ Motivation
- ❖ Overview
- ❖ Model & Inference
- ❖ **Experiments**
- ❖ Conclusion
- ❖ Tasks and Schedule

Baselines

- ❖ **Computational epidemiology models**
 - ❖ SEIR
 - ❖ EpiFast [Bisset et al., ICS 2009]
 - ❖ Weakness: Relay too much on the CDC data
- ❖ **Social media mining methods**
 - ❖ LinARX [Achrekar et al., INFOCOM WKSHPS 2011]
 - ❖ LogARX [Achrekar et al., BIOSTEC 2012]
 - ❖ Weakness: No understanding of epidemic modeling

Metrics

- ❖ **Pearson correlation**

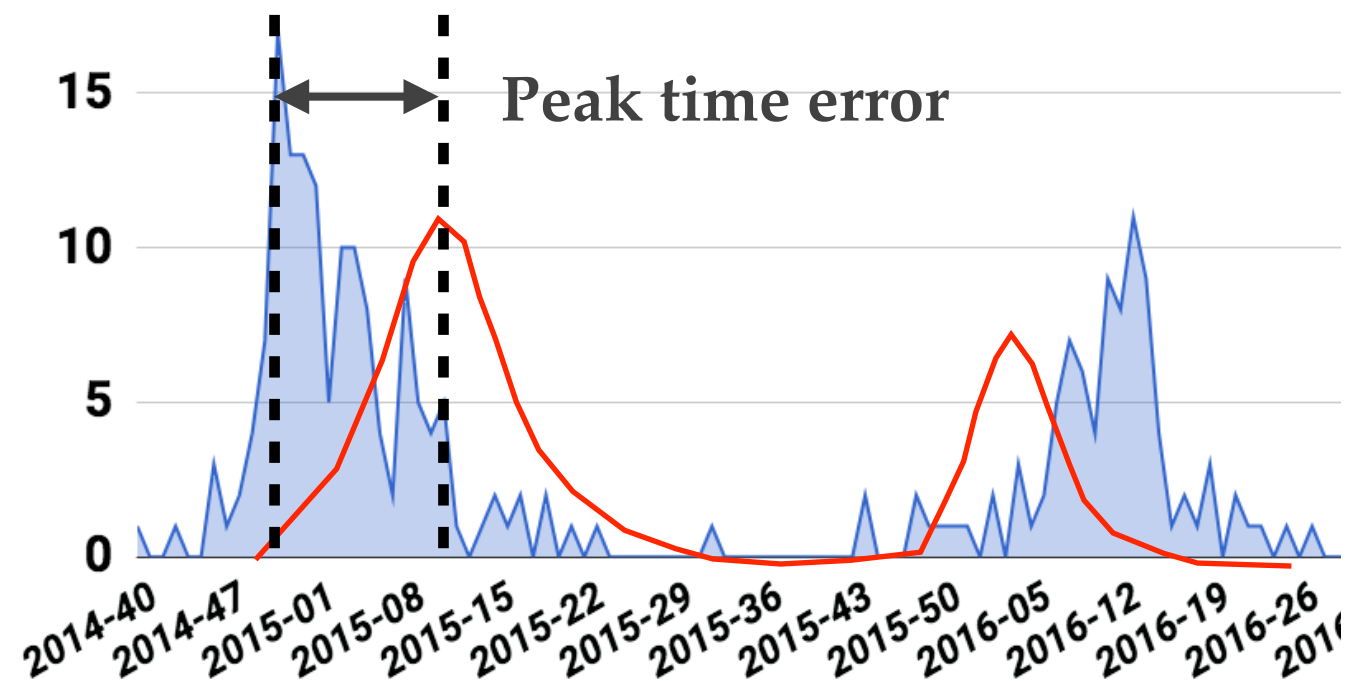
- ❖ Measure the relation between two variables (curves)
- ❖ Range from -1 to 1
- ❖ The bigger the better

- ❖ **Mean square error**

- ❖ Measure the error between prediction results and ground truth
- ❖ Range from 0 to 1
- ❖ The smaller the better

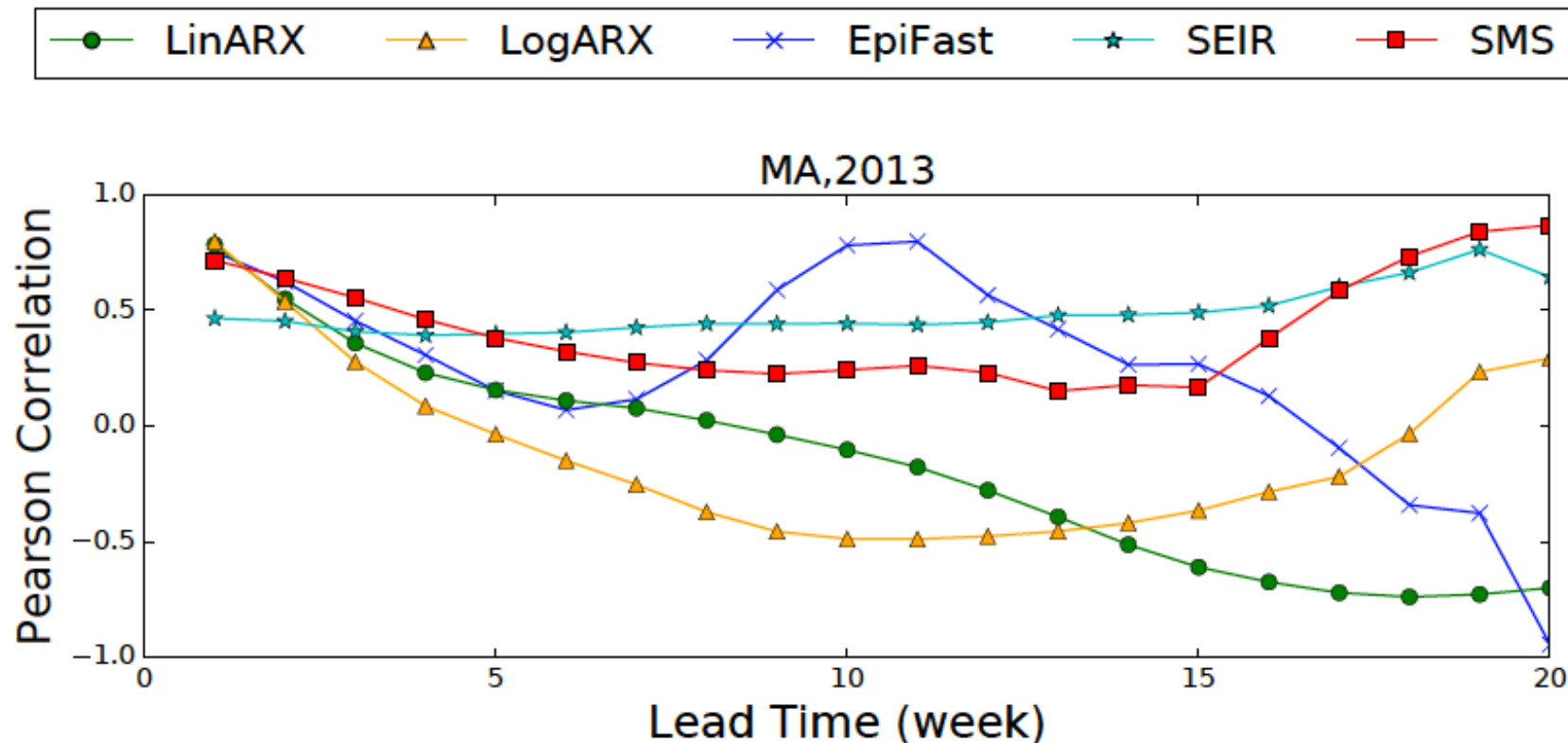
- ❖ **Peak-time error**

- ❖ Measure the error for the peak time
- ❖ Average effort
- ❖ The smaller the better



Pearson correlation

Pearson Correlation of methods in MA 2013



Pearson Correlation values are in the range of $(-1,1)$:

1. **Positive:** the trending of two variables are similar
2. **Zero:** no obvious relation observed
3. **Negative:** the trending of two variables are inversely

❖ LinARX and LogARX

- ❖ Good in the initial
- ❖ Drop quickly
- ❖ End in negative

❖ EpiFast

- ❖ Bad in the initial
- ❖ End in the positive
- ❖ But not stable

❖ SEIR

- ❖ End in the positive
- ❖ But not stable

❖ SMS

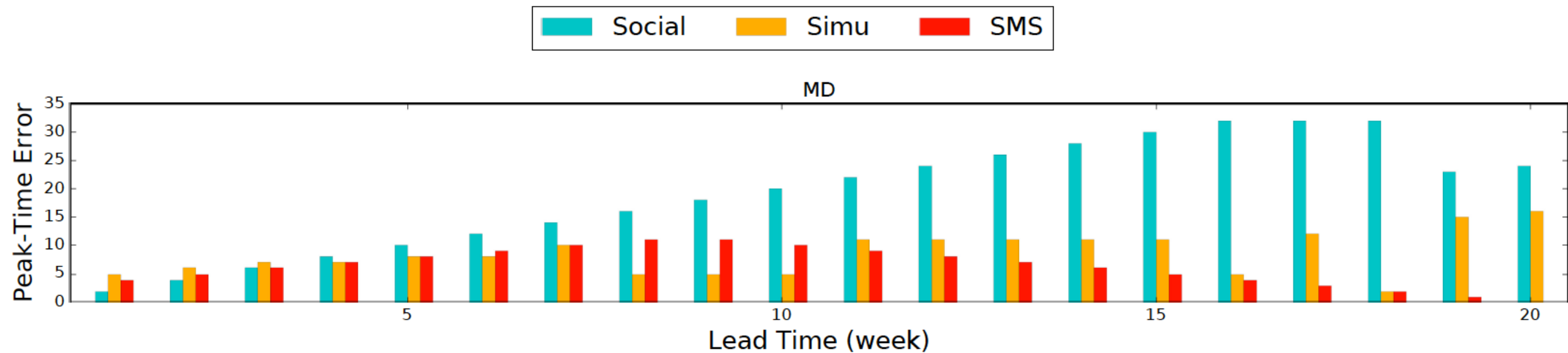
- ❖ Best end performance
- ❖ Maintain stable performance

Mean Square Error

	2013 MA	2013 MD
LinARX	$6.65\text{E-}04 \pm 3.74\text{E-}04$	$8.19\text{E-}04 \pm 4.01\text{E-}04$
LogARX	$5.51\text{E-}04 \pm 2.39\text{E-}04$	$5.00\text{E-}04 \pm 1.79\text{E-}04$
EpiFast	$2.24\text{E-}03 \pm 9.24\text{E-}04$	$5.14\text{E-}03 \pm 5.57\text{E-}03$
SEIR	$3.73\text{E-}04 \pm 5.38\text{E-}05$	$4.61\text{E-}04 \pm 1.53\text{E-}04$
SMS	$2.38\text{E-}04 \pm 6.16\text{E-}05$	$2.63\text{E-}04 \pm 7.51\text{E-}05$

Table 1: Performance in terms of mean square error in MA and MD states for 2013 data. The best performers are marked in bold, the corresponding second best performers are marked with underlines.

Peak Time Error



❖ Peak Time Comparison among SMS Vs Simu and Social variance methods

❖ Lead time is smaller than 5 weeks

❖ Simu is the worst: no data for the first week, worst in performance

❖ Lead time is bigger than 5 weeks

❖ Simu goes better and better

❖ Social go worse and worse

Experiment Summary

- ❖ **SMS model yields the best results**
 - ❖ Good stability
 - ❖ Less errors
 - ❖ comparable to social media mining methods in the short time prediction
 - ❖ comparable to the computational methods in the long time prediction
 - ❖ Support inner-state report
- ❖ **Guideline for baselines**
 - ❖ Social media methods are good in short time prediction
 - ❖ Computational models are good in long time prediction

Conclusion

- ❖ Motivation
- ❖ Overview
- ❖ Model & Inference
- ❖ Experiments
- ❖ **Conclusion**
- ❖ Tasks and Schedule

Our Contributions

- ❖ Proposed a novel SMS model to combine the strength of social media mining models and computational methods within one framework.
- ❖ Provided an efficient inference for the propose SMS model.
- ❖ Demonstrated the effectiveness of SMS model through extensive experiments.
- ❖ Compared SMS model with other baselines and discussed their best application scenarios

Thank You

Questions or Comments?